

Linear Regression model with Python

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1 Requirements

This en example of doing linear regression analysis using Python and [statsmodels](#). The example requires statsmodels > 0.5 and we'll use the new formula API which makes fitting the models very familiar for R users. You'll also need [Numpy](#), [Pandas](#) and [matplotlib](#).

The analysis can be published using the current [Pweave development version](#).

Import libraries

```
import pandas as pd
import numpy as np
import statsmodels.formula.api as sm
import matplotlib.pyplot as plt
```

We'll use [whiteside](#) dataset from R package MASS. You can read the description of the dataset from the link, but in short it contains:

The weekly gas consumption and average external temperature at a house in south-east England for two heating seasons, one of 26 weeks before, and one of 30 weeks after cavity-wall insulation was installed.

Read the data from [pydatasets repo](#) using Pandas:

```
url = 'https://raw.github.com/cpcloud/pydatasets/master/datasets/MASS/whiteside.csv'
whiteside = pd.read_csv(url, index_col=0)
```

2 Fitting the model

Let's see what the relationship between the gas consumption is before the insulation. See [statsmodels documentation](#) for more information about the syntax.

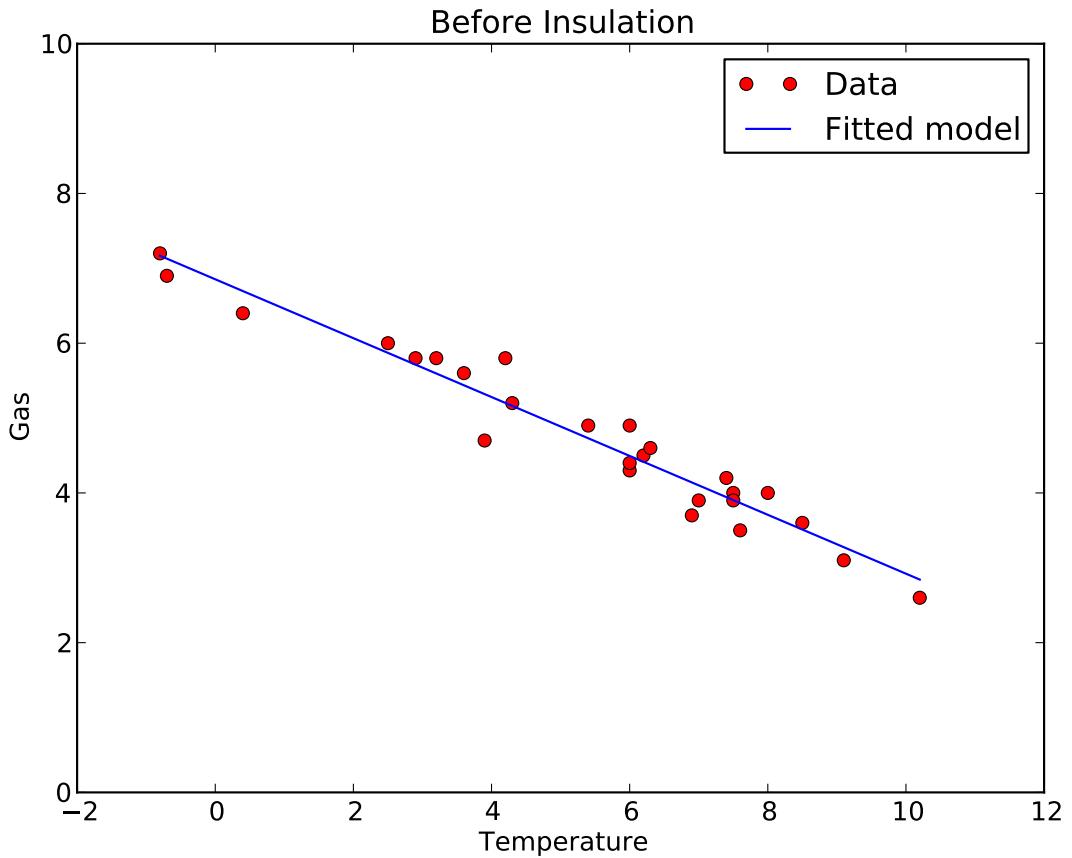
```
model = sm.ols(formula='Gas ~ Temp', data=whiteside, subset = whiteside['Insul'] == "Before")
fitted = model.fit()
print fitted.summary()
```

OLS Regression Results

Dep. Variable:	Gas	R-squared:	0.944			
Model:	OLS	Adj. R-squared:	0.941			
Method:	Least Squares	F-statistic:	403.1			
Date:	Mon, 22 Apr 2013	Prob (F-statistic):	1.64e-16			
Time:	13:40:33	Log-Likelihood:	-2.8783			
No. Observations:	26	AIC:	9.757			
Df Residuals:	24	BIC:	12.27			
Df Model:	1					
<hr/>						
	coef	std err	t	P> t	[95.0% Conf. Int.]	
Intercept	6.8538	0.118	57.876	0.000	6.609	7.098
Temp	-0.3932	0.020	-20.078	0.000	-0.434	-0.353
<hr/>						
Omnibus:	0.296	Durbin-Watson:	2.420			
Prob(Omnibus):	0.862	Jarque-Bera (JB):	0.164			
Skew:	-0.177	Prob(JB):	0.921			
Kurtosis:	2.839	Cond. No.	13.3			
<hr/>						

3 Plot the data and fit

```
Before = whiteside[whiteside["Insul"] == "Before"]
plt.plot(Before["Temp"], Before["Gas"], 'ro')
plt.plot(Before["Temp"], fitted.fittedvalues, 'b')
plt.legend(['Data', 'Fitted model'])
plt.ylim(0, 10)
plt.xlim(-2, 12)
plt.xlabel('Temperature')
plt.ylabel('Gas')
plt.title('Before Insulation')
```



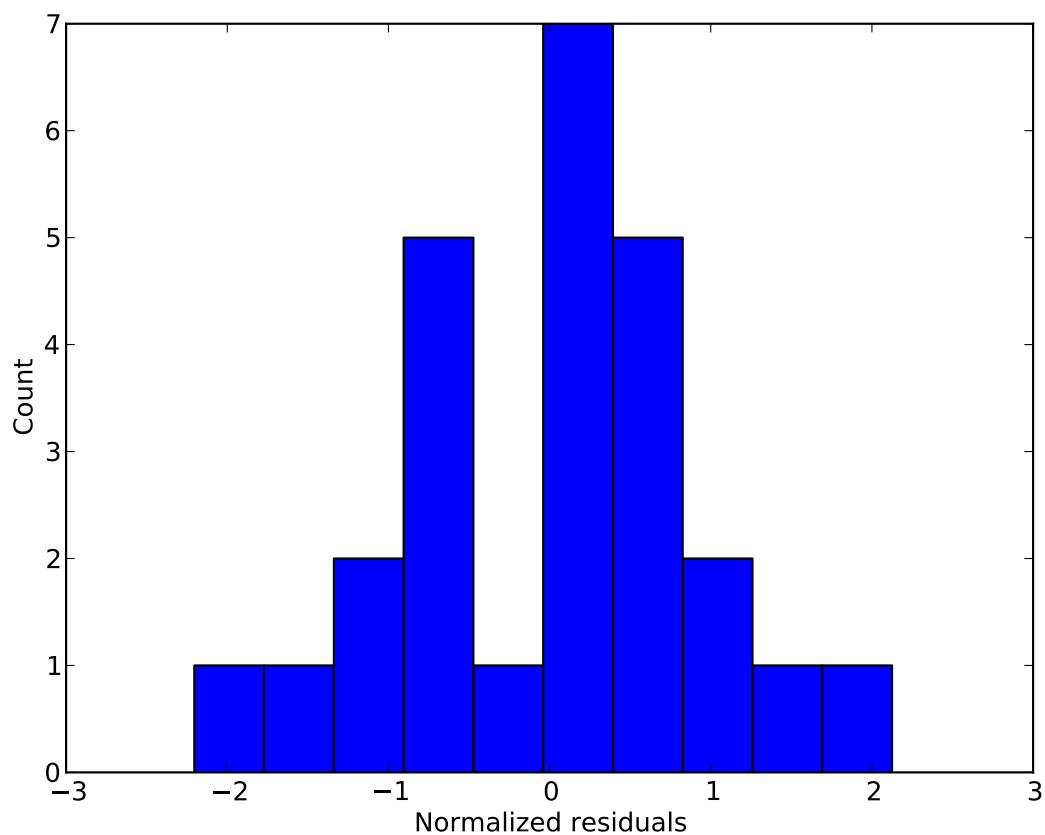
4 Fit diagnostics

Statsmodels `OLSResults` objects contain the usual diagnostic information about the model and you can use the `get_influence()` method to get more diagnostic information (such as Cook's distance).

4.1 A look at the residuals

Histogram of normalized residuals

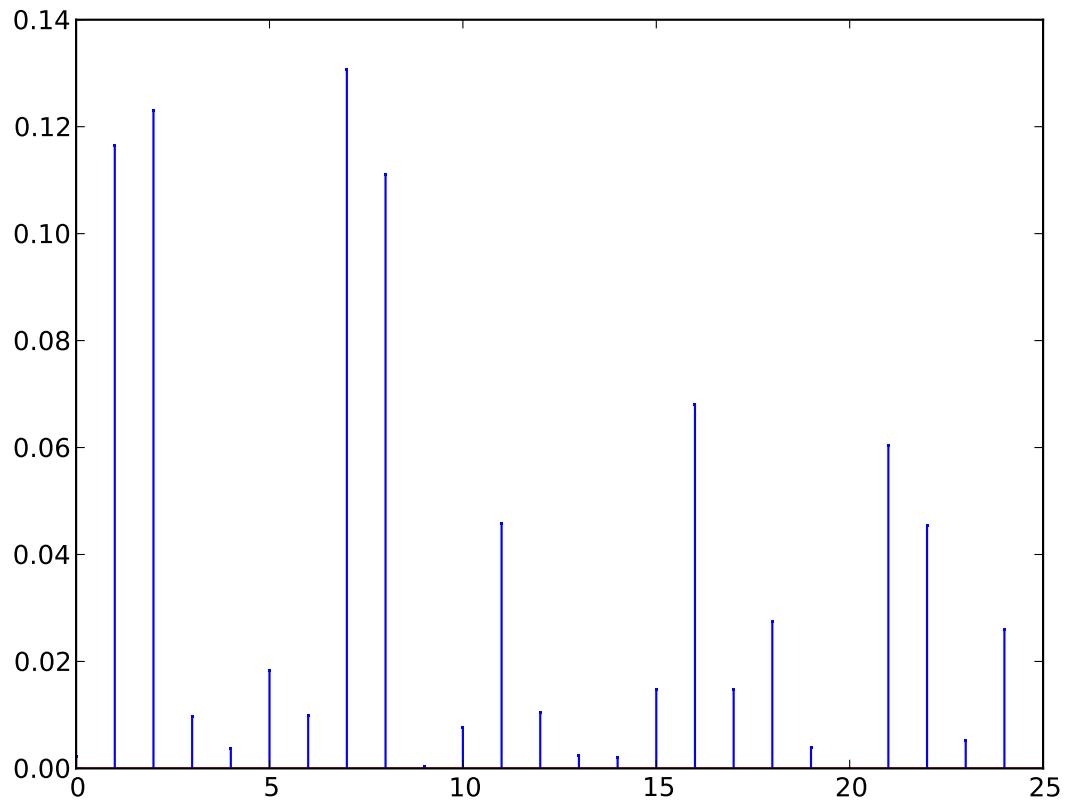
```
plt.hist(fitted.norm_resid())
plt.ylabel('Count')
plt.xlabel('Normalized residuals')
```



4.2 Cooks distance

[OLSInfluence](#) objects contain more diagnostic information

```
influence = fitted.get_influence()  
#c is the distance and p is p-value  
(c, p) = influence.cooks_distance  
plt.stem(np.arange(len(c)), c, markerfmt=",")
```



5 Statsmodels builtin plots

Statsmodels includes a some builtin function for plotting residuals against leverage:

```
from statsmodels.graphics.regressionplots import *
plot_leverage_resid2(fitted)
influence_plot(fitted)
```

